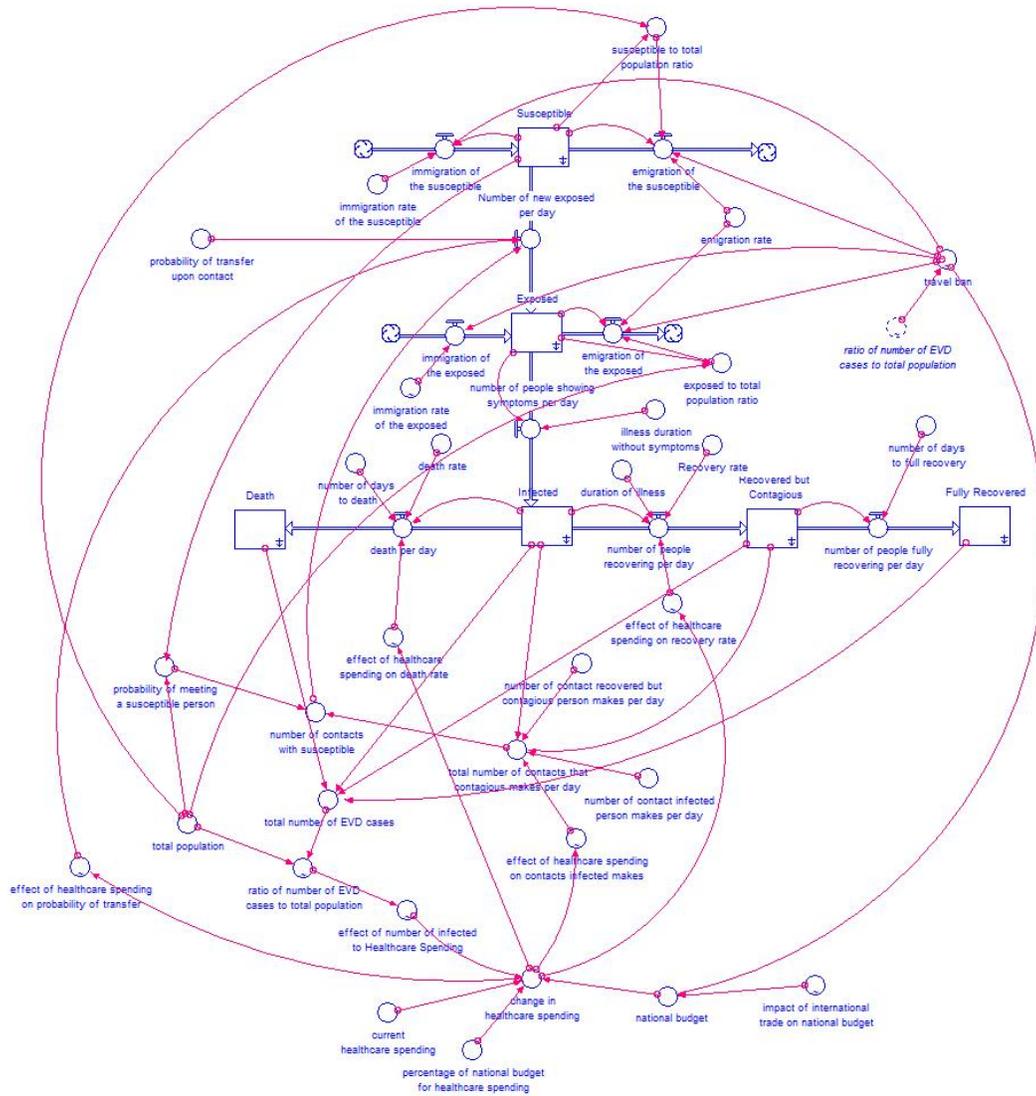


# APPENDICES

## APPENDIX A - Stock and Flow Diagram



## **APPENDIX B - Model Parameters**

Initial Death: 0 people

Initial Exposed: 1 people

Initial Fully Recovered: 0 people

Initial Infected: 0 people

Initial Recovered but Contagious: 0 people

Current Healthcare Spending: 22,360,000

death rate: 0.55

duration of illness: 14 days

emigration rate:  $0.00926/365$  people /days

number of contact infected person makes per day: 4 contacts

number of contact recovered but contagious person makes per day: 0.2 contacts

number of days to death: 14 days

number of days to full recovery: 49 days

percentage of national budget for healthcare spending: 4%

probability of transfer upon contact: 0.2

recovery rate: 0.45

total population: 4,400,000 people

## APPENDIX C - Model Equations

$$\text{Death}(t) = \text{Death}(t - dt) + (\text{death\_per\_day}) * dt$$

$$\text{INIT Death} = 0$$

INFLOWS:

$$\text{death\_per\_day} = \text{Infected} * \text{death\_rate} * \text{effect\_of\_healthcare\_spending\_on\_death\_rate} / \text{number\_of\_days\_to\_death}$$

$$\text{Exposed}(t) = \text{Exposed}(t - dt) + (\text{Number\_of\_new\_exposed\_per\_day} + \text{immigration\_of\_the\_exposed} - \text{number\_of\_people\_showing\_symptoms\_per\_day} - \text{emigration\_of\_the\_exposed}) * dt$$

$$\text{INIT Exposed} = 1$$

INFLOWS:

$$\begin{aligned} \text{Number\_of\_new\_exposed\_per\_day} = & \text{number\_of\_contacts\_with\_susceptible} * \text{probability\_of\_transfer\_upon\_contact} * \text{effect\_of\_healthcare\_s} \\ & \text{pending\_on\_probability\_of\_transfer} \\ \text{immigration\_of\_the\_exposed} = & \text{immigration\_rate\_of\_the\_exposed} * (1 - \text{travel\_ban}) \end{aligned}$$

OUTFLOWS:

$$\begin{aligned} \text{number\_of\_people\_showing\_symptoms\_per\_day} = & \text{Exposed} / \text{illness\_duration\_without\_symptoms} \\ \text{emigration\_of\_the\_exposed} = & \text{exposed\_to\_total\_population\_ratio} * \text{emigration\_rate} * \text{Exposed} * (1 - \text{travel\_ban}) \end{aligned}$$

$$\text{Fully\_Recovered}(t) = \text{Fully\_Recovered}(t - dt) + (\text{number\_of\_people\_fully\_recovering\_per\_day}) * dt$$

$$\text{INIT Fully\_Recovered} = 0$$

INFLOWS:

$$\text{number\_of\_people\_fully\_recovering\_per\_day} = \text{Recovered\_but\_Contagious} / \text{number\_of\_days\_to\_full\_recovery}$$

$$\text{Infected}(t) = \text{Infected}(t - dt) + (\text{number\_of\_people\_showing\_symptoms\_per\_day} - \text{number\_of\_people\_recovering\_per\_day} - \text{death\_per\_day}) * dt$$

$$\text{INIT Infected} = 0$$

INFLOWS:

$$\text{number\_of\_people\_showing\_symptoms\_per\_day} = \text{Exposed} / \text{illness\_duration\_without\_symptoms}$$

OUTFLOWS:

$$\text{number\_of\_people\_recovering\_per\_day} = \text{Infected} * \text{Recovery\_rate} * \text{effect\_of\_healthcare\_spending\_on\_recovery\_rate} / \text{duration\_of\_illness}$$

$$\text{death\_per\_day} = \text{Infected} * \text{death\_rate} * \text{effect\_of\_healthcare\_spending\_on\_death\_rate} / \text{number\_of\_days\_to\_death}$$

$$\text{Recovered\_but\_Contagious}(t) = \text{Recovered\_but\_Contagious}(t - dt) + (\text{number\_of\_people\_recovering\_per\_day} - \text{number\_of\_people\_fully\_recovering\_per\_day}) * dt$$

INIT Recovered\_but\_\_Contagious = 0

INFLOWS:

number\_of\_people\_recovering\_per\_day =

Infected\*Recovery\_rate\*effect\_of\_healthcare\_spending\_on\_recovery\_rate/duration\_of\_illness

OUTFLOWS:

number\_of\_people\_fully\_recovering\_per\_day =

Recovered\_but\_\_Contagious/number\_of\_days\_to\_full\_recovery

Susceptible(t) = Susceptible(t - dt) + (immigration\_of\_the\_susceptible -

Number\_of\_new\_exposed\_per\_day - emigration\_of\_the\_susceptible) \* dt

INIT Susceptible = total\_population - Exposed - Infected - Recovered\_but\_\_Contagious -

Fully\_Recovered - Death

INFLOWS:

immigration\_of\_the\_susceptible = (1 - travel\_ban) \* Susceptible \* immigration\_rate\_of\_the\_susceptible

OUTFLOWS:

Number\_of\_new\_exposed\_per\_day =

number\_of\_contacts\_with\_susceptible \* probability\_of\_transfer\_upon\_contact \* effect\_of\_healthcare\_spending\_on\_probability\_of\_transfer

emigration\_of\_the\_susceptible =

Susceptible \* emigration\_rate \* susceptible\_to\_total\_population\_ratio \* (1 - travel\_ban)

change\_in\_healthcare\_spending =

(national\_budget \* percentage\_of\_national\_budget\_for\_healthcare\_spending \* effect\_of\_number\_of\_infected\_to\_Healthcare\_Spending) / current\_healthcare\_spending

current\_healthcare\_spending = 22360000

death\_rate = 0.55

duration\_of\_illness = 14

emigration\_rate = 0.00926/365

exposed\_to\_total\_population\_ratio = Exposed / total\_population

illness\_duration\_without\_symptoms = 14

immigration\_rate\_of\_the\_susceptible = 0.00356/365

national\_budget = 559000000 \* (1 - travel\_ban \* (1 - impact\_of\_international\_trade\_on\_national\_budget))

number\_of\_contacts\_with\_susceptible =

probability\_of\_meeting\_a\_susceptible\_person \* total\_number\_of\_contacts\_that\_contagious\_makes\_per\_day

number\_of\_contact\_infected\_person\_makes\_per\_day = 4

number\_of\_contact\_recovered\_but\_contagious\_person\_makes\_per\_day = 0.2

number\_of\_days\_to\_death = 14

number\_of\_days\_to\_full\_recovery = 49

percentage\_of\_national\_budget\_for\_healthcare\_spending = 0.04

probability\_of\_meeting\_a\_susceptible\_person = Susceptible/(total\_population-1)

probability\_of\_transfer\_upon\_contact = 0.2

Recovery\_rate = 0.45

susceptible\_to\_total\_population\_ratio = Susceptible/total\_population

total\_number\_of\_contacts\_that\_contagious\_makes\_per\_day =  
(Infected\*effect\_of\_healthcare\_spending\_on\_contacts\_infected\_makes\*number\_of\_contact\_infected\_person\_makes\_per\_day)+(Recovered\_but\_Contagious\*number\_of\_contact\_recovered\_but\_contagious\_person\_makes\_per\_day)

total\_number\_of\_EVD\_cases = Death+Fully\_Recovered+Infected+Recovered\_but\_Contagious

total\_population = 4400000

effect\_of\_healthcare\_spending\_on\_contacts\_infected\_makes =  
GRAPH(DELAY(change\_in\_healthcare\_spending,14))  
(0.00, 1.60), (0.25, 1.56), (0.5, 1.38), (0.75, 0.9), (1.00, 0.5), (1.25, 0.31), (1.50, 0.18), (1.75, 0.1),  
(2.00, 0.02), (2.25, 0.00), (2.50, 0.00)

effect\_of\_healthcare\_spending\_on\_death\_rate =  
GRAPH(DELAY(change\_in\_healthcare\_spending,14))  
(0.00, 1.20), (0.25, 1.14), (0.5, 1.09), (0.75, 1.04), (1.00, 1.00), (1.25, 0.95), (1.50, 0.9), (1.75, 0.87),  
(2.00, 0.84), (2.25, 0.81), (2.50, 0.8)

effect\_of\_healthcare\_spending\_on\_probability\_of\_transfer =  
GRAPH(DELAY(change\_in\_healthcare\_spending,14))  
(0.00, 1.00), (0.25, 0.94), (0.5, 0.885), (0.75, 0.815), (1.00, 0.74), (1.25, 0.675), (1.50, 0.63), (1.75, 0.57), (2.00, 0.52), (2.25, 0.46), (2.50, 0.4)

effect\_of\_healthcare\_spending\_on\_recovery\_rate =  
GRAPH(DELAY(change\_in\_healthcare\_spending,14))  
(0.00, 0.8), (0.25, 0.85), (0.5, 0.9), (0.75, 0.95), (1.00, 1.00), (1.25, 1.05), (1.50, 1.09), (1.75, 1.13),  
(2.00, 1.16), (2.25, 1.18), (2.50, 1.20)

effect\_of\_number\_of\_infected\_to\_Healthcare\_Spending =  
GRAPH(ratio\_of\_number\_of\_EVD\_cases\_to\_total\_population)  
(0.00, 1.00), (0.0333, 1.91), (0.0667, 2.25), (0.1, 2.43), (0.133, 2.49), (0.167, 2.50), (0.2, 2.50), (0.233, 2.50), (0.267, 2.50), (0.3, 2.50), (0.333, 2.50), (0.367, 2.50), (0.4, 2.50), (0.433, 2.50), (0.467, 2.50), (0.5, 2.50), (0.533, 2.50), (0.567, 2.50), (0.6, 2.50), (0.633, 2.50), (0.667, 2.50), (0.7, 2.50), (0.733, 2.50), (0.767, 2.50), (0.8, 2.50), (0.833, 2.50), (0.867, 2.50), (0.9, 2.50), (0.933, 2.50), (0.967, 2.50), (1, 2.50)

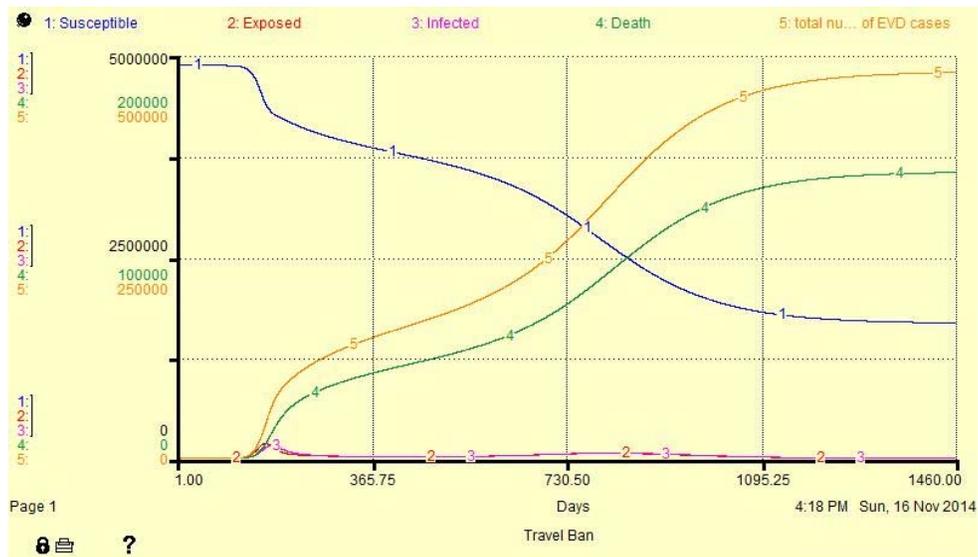
immigration\_rate\_of\_the\_exposed = GRAPH(TIME)  
(1.00, 2.97), (37.4, 1.21), (73.8, 0.42), (110, 0.15), (147, 0.1), (183, 0.1), (219, 0.1), (256, 0.1), (292, 0.1), (329, 0.1), (365, 0.1)

impact\_of\_international\_trade\_on\_national\_budget = GRAPH(TIME)  
(1.00, 1.00), (73.9, 0.94), (147, 0.88), (220, 0.83), (293, 0.78), (366, 0.735), (438, 0.69), (511, 0.655),  
(584, 0.63), (657, 0.61), (730, 0.6)

ratio\_of\_number\_of\_EVD\_cases\_to\_total\_population =  
GRAPH(total\_number\_of\_EVD\_cases/total\_population)  
(0.00, 0.00), (10.0, 0.00), (20.0, 0.00), (30.0, 0.00), (40.0, 0.00), (50.0, 0.00), (60.0, 0.00), (70.0,  
0.00), (80.0, 0.00), (90.0, 0.00), (100, 0.00)

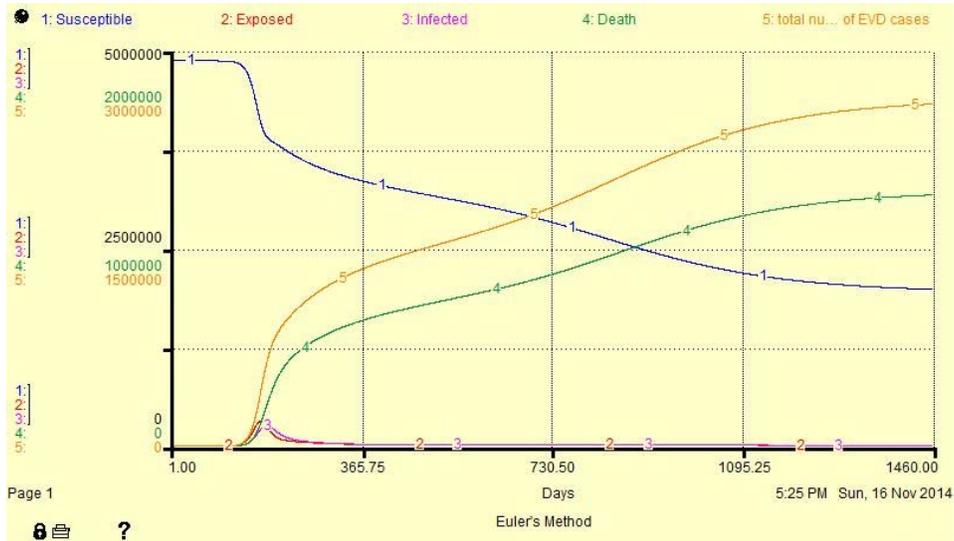
travel\_ban = GRAPH(ratio\_of\_number\_of\_EVD\_cases\_to\_total\_population)  
(0.00, 1.00), (0.1, 1.00), (0.2, 1.00), (0.3, 1.00), (0.4, 1.00), (0.5, 1.00), (0.6, 1.00), (0.7, 1.00), (0.8,  
1.00), (0.9, 1.00), (1, 1.00)

# APPENDIX D - Model Validation

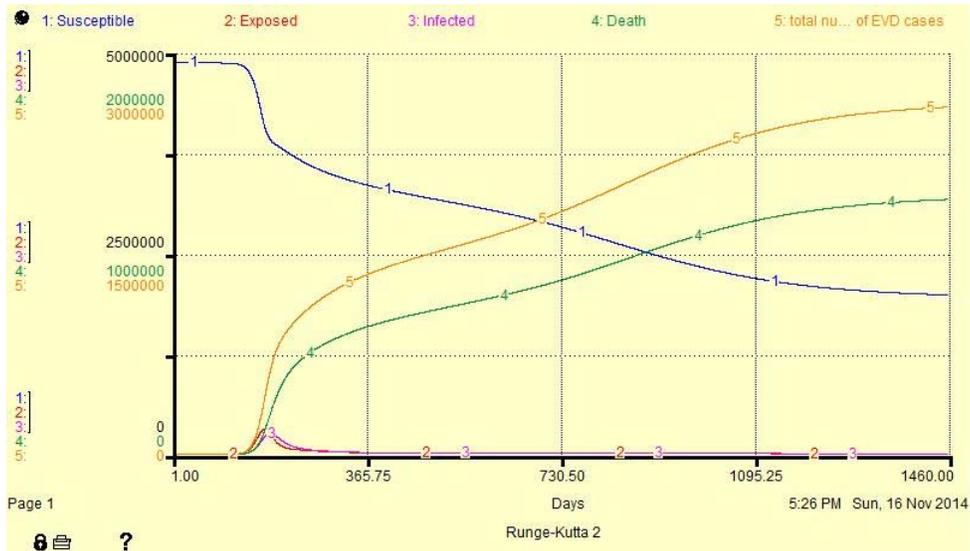


# APPENDIX E - Model Verification: Integration Method

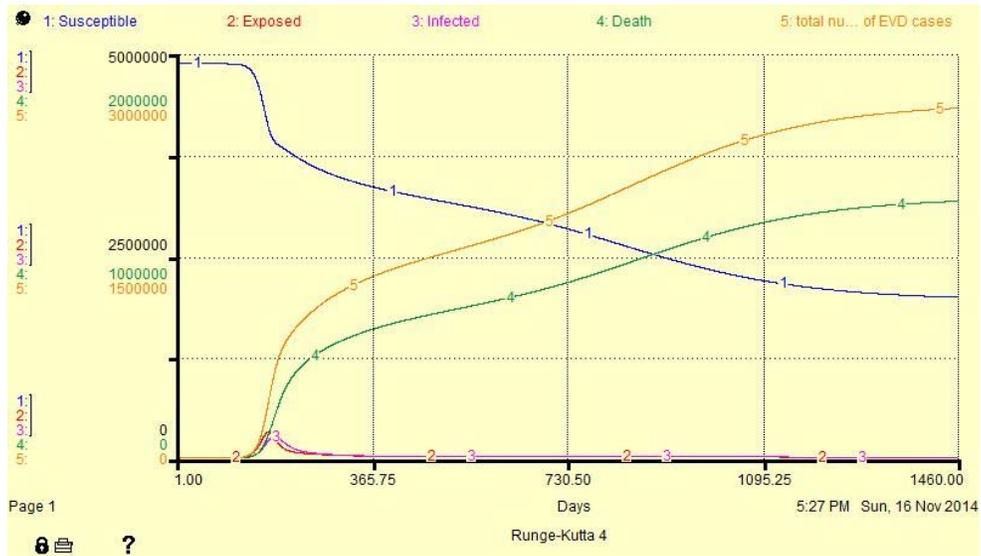
## Euler's Method



## Runge-Kutta 2

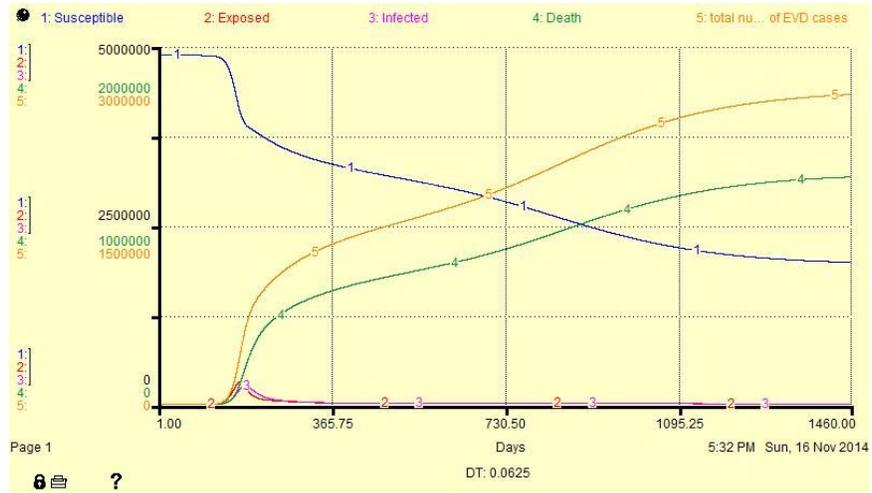


# Runge-Kutta 4

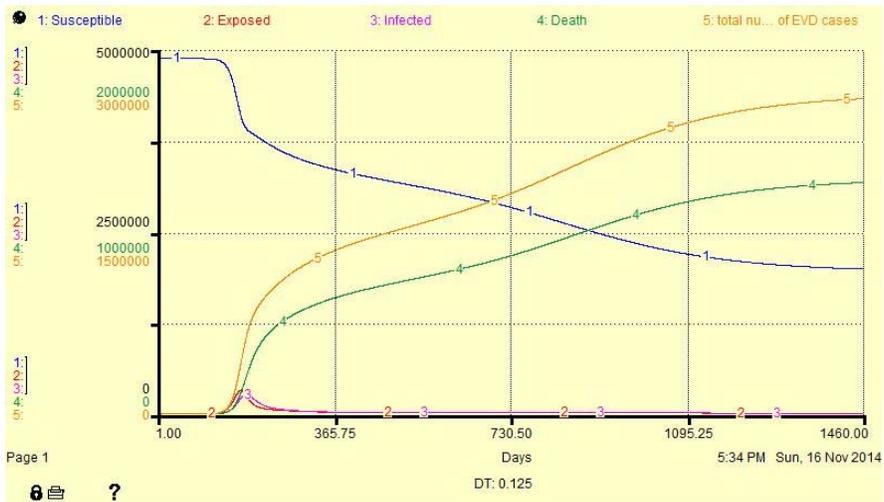


# APPENDIX F - Model Verification: Delta Time

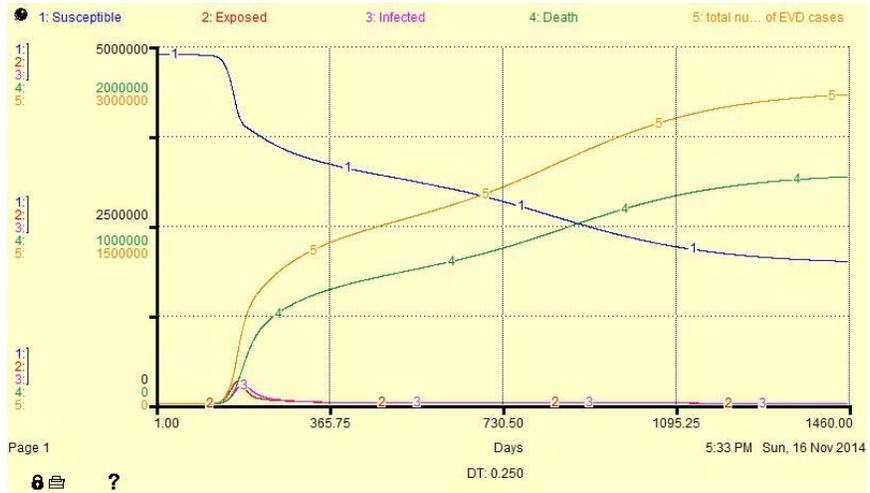
DT: 0.0625



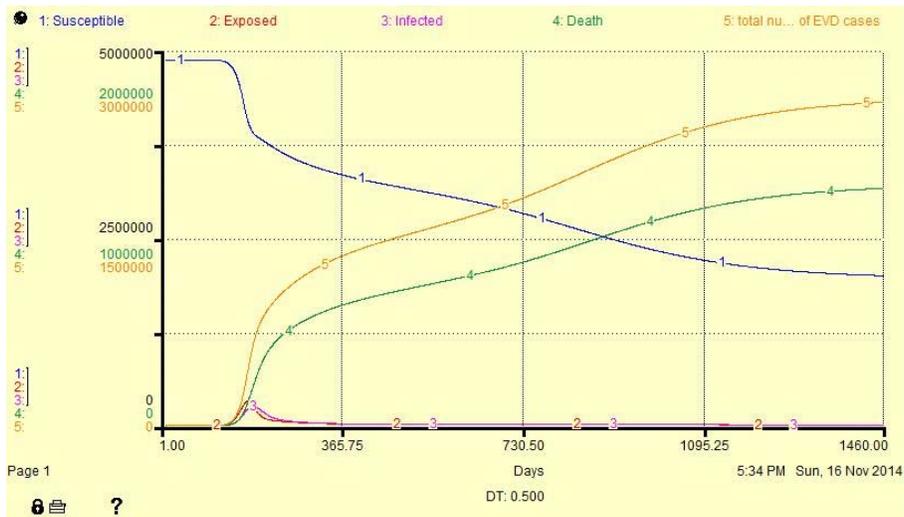
DT: 0.125



DT: 0.250

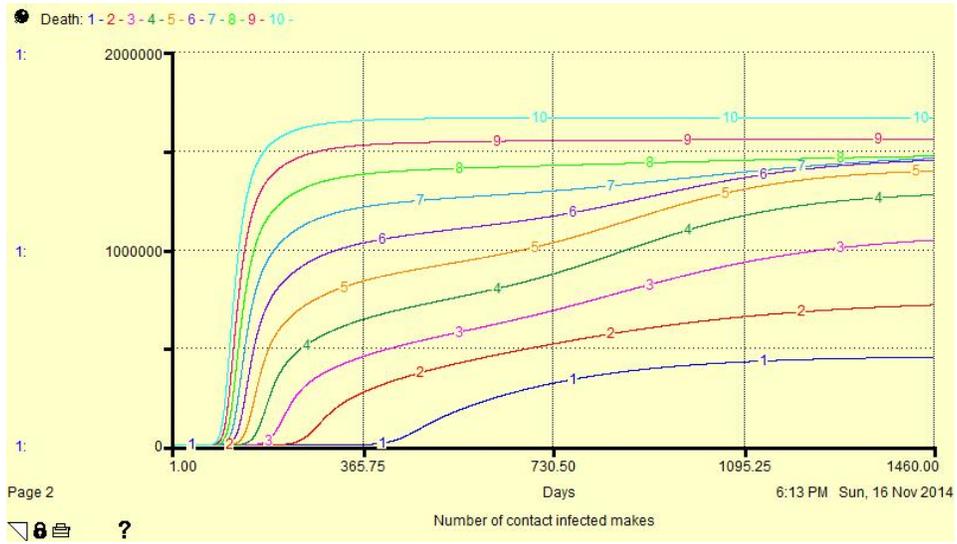


DT: 0.500

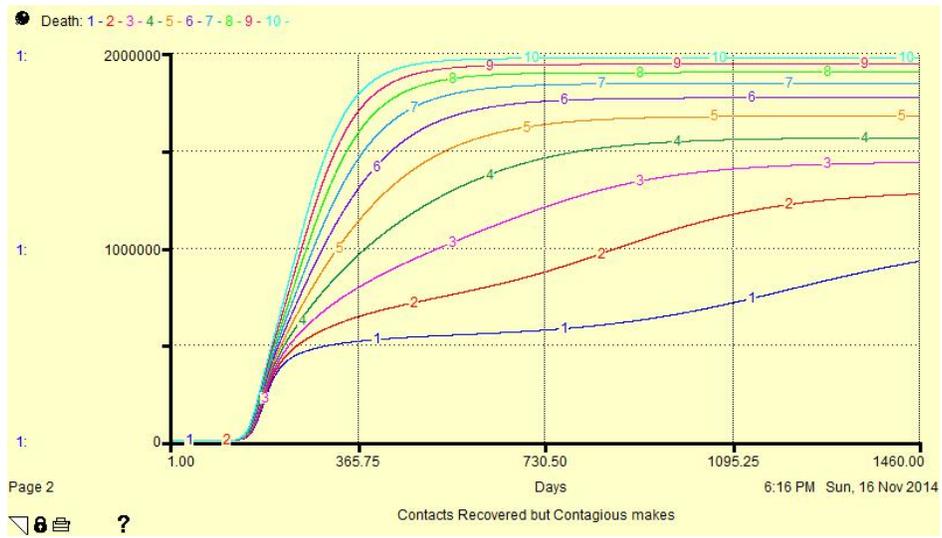


# APPENDIX G - Sensitivity Analysis

## Number of contacts infected makes



## Number of contacts recovered but contagious makes



Probability of transfer

